

In the Claims

1 1. (currently amended) A method for evaluating an error-correcting code for
2 a data block of a finite size, comprising:

3 defining an error-correcting code by a parity check matrix;
4 representing the parity check matrix as a bipartite graph; ~~and~~
5 iteratively renormalizing a single node in the bipartite graph until a
6 predetermined threshold is reached; and

7 wherein the bipartite graph includes variable nodes representing
8 variable bits of the data block, and check nodes representing parity bits of
9 the data block, and the renormalizing further comprises:

10 selecting a particular variable node as a target node;
11 selecting a particular node to be renormalized;
12 measuring a distance between the target node and every other
13 node in the bipartite graph;
14 if there is at least one leaf variable node, renormalizing a
15 particular leaf variable node farthest from the target node, otherwise
16 if there is at least one leaf check node, renormalizing a
17 particular leaf check node farthest from the target node, otherwise
18 renormalizing a non-leaf variable node farthest from the target
19 node and having fewest directly connected check nodes.

1 2. (original) The method of claim 1 wherein the predetermined threshold is a
2 minimum number of remaining nodes.

1 3. (canceled)

1 4. (canceled)

1 5. (currently amended) The method of claim 1 wherein the bipartite graph is
2 ~~loop-free~~ cycle-free.

1 6. (currently amended) The method of claim 1 wherein the bipartite graph
2 includes at least one ~~loop~~ cycle.

1 7. (currently amended) The method of ~~claim 4~~ claim 1 wherein a
2 transmission channel is a binary erasure channel, and further comprising:
3 decorating the bipartite graph with numbers p_{ia} representing
4 probabilities of messages from variable nodes to check nodes and with
5 numbers q_{ai} representing probabilities of messages from check nodes to
6 variable nodes, and the renormalizing of the non-leaf variable node further
7 comprises:
8 enumerating all check-nodes a which are connected to the non-leaf
9 variable node;
10 enumerating all other variable nodes j attached to the check nodes a ;
11 and
12 transforming the numbers q_{aj} .

1 8. (original) The method of claim 7 wherein the transforming of the numbers
2 q_{aj} further comprises:
3 enumerating all check nodes and variable nodes out to a
4 predetermined distance from the target node;

5 constructing a logical argument to determine combinations of erasure
6 causing a particular message from the check node a to the variable node j to
7 be an erasure;
8 translating the logical argument into a transformation for the number
9 q_{aj} .

1 9. (currently amended) The method of claim 8 further ~~comprising~~
2 comprising:

3 terminating the renormalizing upon reaching the predetermined
4 threshold by an exact determination.

1 10. (original) The method of claim 9 wherein the remaining bipartite graph
2 includes N nodes in the exact determination, and further comprising:

3 converting the decorated graph with numbers q_{ai} and p_{ia} into an
4 erasure graph with an erasure probability x_i with each node i of the bipartite
5 graph;

6 generating all 2^N possible messages; and

7 decoding each of the 2^N messages using a belief propagation decoder,

8 where each message has a probability $p = \prod x_i \prod (1 - x_j)$.

1 ~~11. (currently amended) The method of claim 7 wherein all the numbers q_{ai}~~
2 ~~are initialized to zero, and~~

3 ~~all the numbers p_{ia} are initialized to an erasure rate of the transmission~~
4 ~~channel.~~

5 The method of claim 7 wherein all the numbers q_{ai} are initialized to zero,
6 and

7 all the numbers p_{ia} are initialized to an erasure rate of the transmission
8 channel.

1 12. (original) The method of claim 7 further comprising:
2 defining the error-correcting code by a generalized parity check
3 matrix wherein columns represent variable bits and rows define parity bits,
4 and wherein an overbar is placed above columns representing hidden
5 variable bits which are not transmitted; and
6 representing the hidden variable bits by hidden nodes in the bipartite
7 graph.

1 13. (original) The method of claim 12 wherein the transmission channel is a
2 binary erasure channel and wherein the error-correcting code is defined by a
3 generalized parity check matrix, and further comprising:
4 initializing the numbers p_{ia} for hidden nodes i to one.

1 14. (previously presented) The method of claim 7 wherein the transmission
2 channel is an additive white Gaussian noise channel, and further comprising:
3 representing messages between nodes in the bipartite graph by
4 Gaussian distributions.

1 15. (currently amended) The method of claim 1, and further comprising:
2 selecting a set of criterion by which to evaluate error-correcting codes;
3 generating a plurality of error-correcting codes; and
4 searching the plurality of error-correcting codes for an optimal error-
5 correcting code according to the set of criterion.

1 16. (currently amended) The method of claim 15, and further comprising:
2 evaluating an error rate for each error-correcting code at a plurality of
3 nodes; and
4 generating the optimal error-correcting code according to the
5 evaluated error-rate.

1 17. (original) The method of claim 1 further comprising:
2 evaluating an error rate for the renormalized bipartite graph.

1 18. (currently amended) A method for evaluating an error-correcting code
2 for a data block of a finite size, comprising:
3 defining an error-correcting code by a parity check matrix;
4 representing the parity check matrix as a bipartite graph, wherein the
5 bipartite graph includes variable nodes representing variable bits of the data
6 block, and check nodes representing parity bits of the data block;
7 iteratively renormalizing a single node in the bipartite graph until a
8 predetermined threshold is reached, wherein the renormalizing further
9 ~~comprises;~~ comprises:
10 selecting a particular variable node as a target node; and
11 selecting a particular node to be renormalized;
12 measuring a distance between the target node and every other node in
13 the bipartite graph;
14 if there is at least one leaf variable node, renormalizing a particular
15 leaf variable node farthest from the target node, otherwise
16 if there is at least one leaf check node, renormalizing a particular leaf
17 check node farthest from the target node, otherwise

18 renormalizing a non-leaf variable node farthest from the target node and
19 having fewest directly connected check nodes;
20 wherein a transmission channel is a binary erasure channel, and
21 further ~~comprising;~~ comprising:
22 decorating the bipartite graph with numbers p_{ia} representing
23 probabilities of messages from variable nodes to check nodes and with
24 numbers q_{ai} representing probabilities of messages from check nodes to
25 variable nodes, and the renormalizing of the non-leaf variable node further
26 comprises:
27 enumerating all check-nodes a which are connected to the non-
28 leaf variable node;
29 enumerating all other variable nodes j attached to the check
30 nodes a ;
31 wherein the enumerating further ~~comprises;~~ comprises:
32 enumerating all check nodes and variable nodes out to a
33 predetermined distance from the target node;
34 constructing a logical argument to determine
35 combinations of ~~erasure~~ erasures causing a particular message
36 from the check node a to the variable node j to be an erasure;
37 translating the logical argument into a transformation for
38 the number q_{aj} ; and
39 transforming the numbers q_{aj} numbers q_{aj} .